



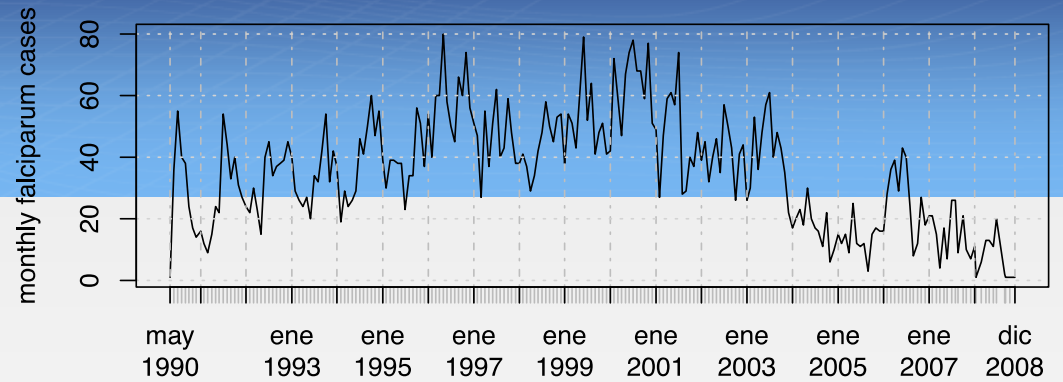
Malaria models for Senegal and the role of climate in malaria predictability

IC3, IPP,IPD

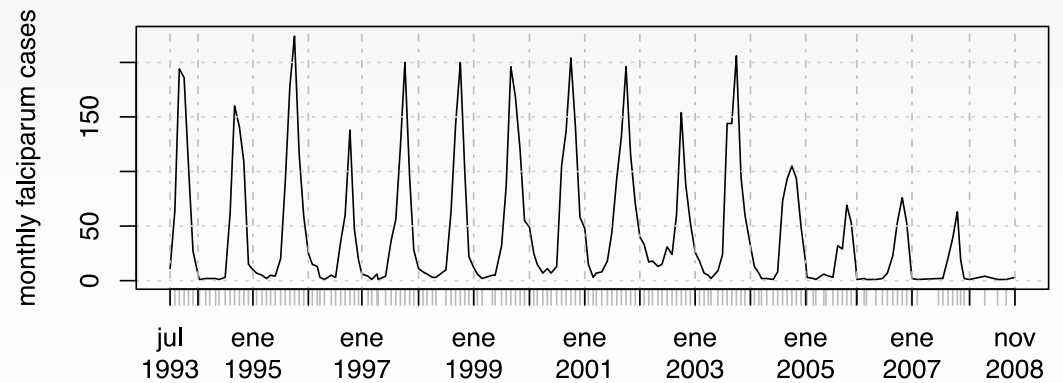
QWeCI MEETING, ILRI, Nairobi, Kenya, Oct. 2012



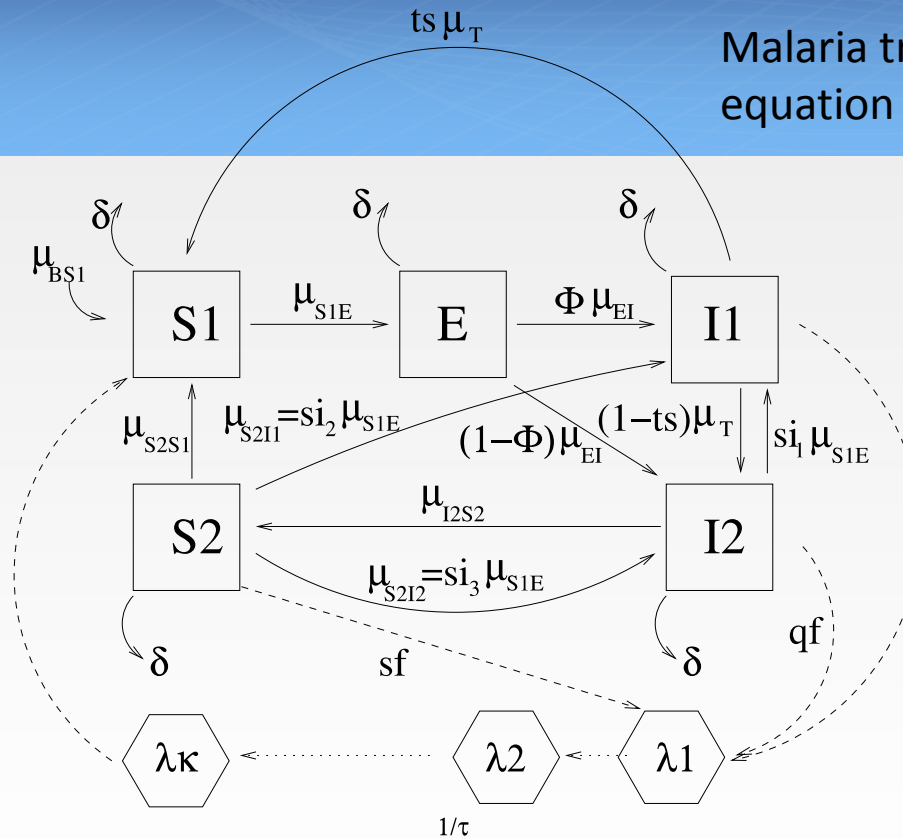
Dielmo (all year round transmission, cohort 1)



Ndiop (seasonal transmission, cohort 2)



Malaria transmission: Stochastic differential equation model (VIC3 framework)



Flow diagram of the SDE model. Human classes are S1 (susceptible), E (exposed, carrying a latent infection), I1 (infected and infectious), I2 (asymptomatic infection which is minimally infectious) and S2 (recovered having some resistance to reinfection). Mosquito-parasite classes are λ (force of infection at previous time t-s) and $\lambda\kappa$ (force of infection at time t). The possibility of transition between class X and Y is denoted by a solid arrow, with the corresponding rate written as μ_{XY} . The dotted arrows represent interactions between the human and mosquito stages of the parasite. The model is formalized by equations (1–14).

VIC3

The transmission rate μ_{S1E} is defined as:

$$\mu_{S1E}(t) = \int_{-\infty}^t \gamma(t-s)\lambda(s)d\Gamma(s)$$

$\lambda(s)$ is the force of infection at a previous time s when the mosquito bites the infected human, $\gamma(t-s)$ is a delay distribution (for duration of parasite life cycle inside mosquito + vector survival) and $\mu_{S1E}(t)$ is the transmission at the current time t

The force of infection in VIC3

$$\lambda(t) = ba^2c \frac{M}{N} \int_{t_0}^t \frac{I(s)}{N} x(s) p(t-s) ds$$

$x(s)$: the fraction of uninfected mosquitoes at time u M : total number of mosquitoes (assumed constant) N : total number of humans. Uninfected mosquitoes become infected with malaria with a probability c when they bite (at a rate a) an infected human.

$I(s)/N$: fraction of infected humans at time s .

$p(\cdot)$: a delay distribution that describes the mosquito stage of the parasite life cycle and vector

survival. We choose $p(\cdot)$ to be a $\Gamma(n, \tau)$ density. n

The infected mosquitoes then contribute to malaria infection in humans when they again bite an uninfected human (at a rate a) and infect with a probability b .

How do we attempt to integrate climate in VIC3 framework

We expect the fraction of uninfected mosquitoes $x(s)$ to be seasonal, to have a dependence on climatic factors and to have a random component.

$$\lambda(t) = \left[\frac{I_1(t) + q_f \times I_2(t) + s_f \times S_2(t)}{N(t)} \exp \left\{ \sum_{i=1}^k \beta_i s_i(t) + Z_t \beta \right\} \frac{d\Gamma}{dt} \right] \bar{\beta}$$

Here, q_f represents the fraction of asymptomatics capable to infect mosquitoes.

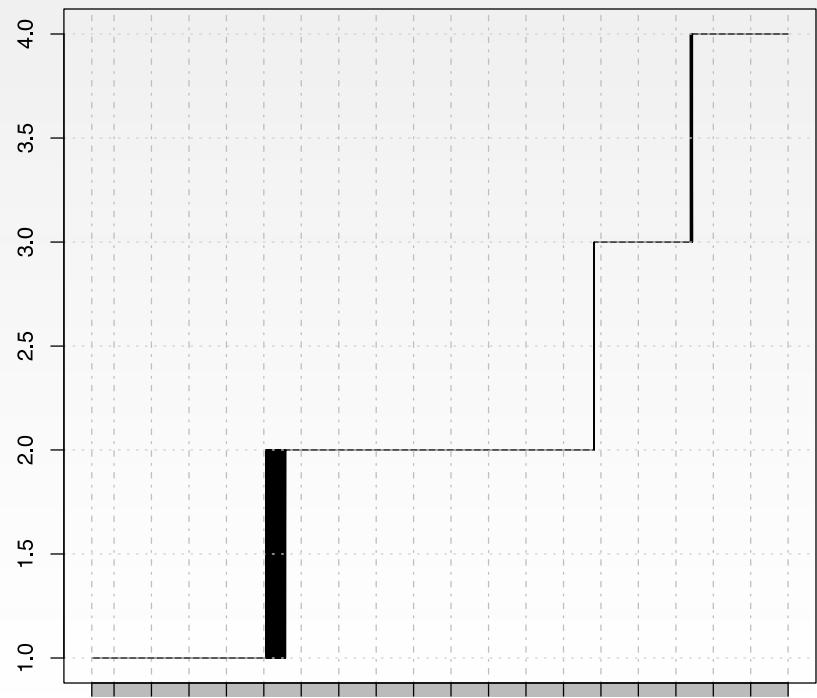
The seasonality of disease transmission is modeled by the coefficients $\{\beta_i\}$

Z_t depends on rainfall and drug treatment in the form:

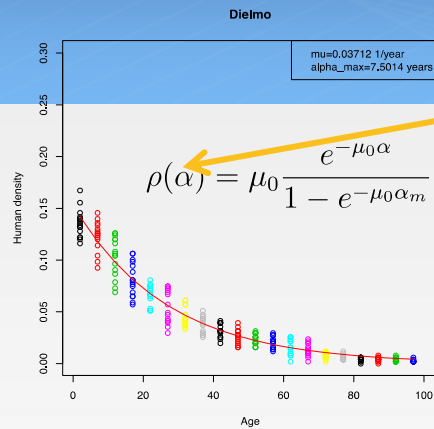
$$Z_t = \beta_r R(t) + \beta_{qui} D[t_{qui}] + \beta_{clo} D[t_{clo}] + \beta_{fan} D[t_{fan}] + \beta_{act} D[t_{act}]$$

Integrating drug treatment in VIC3

Drug periods Ndiop and Dielmo

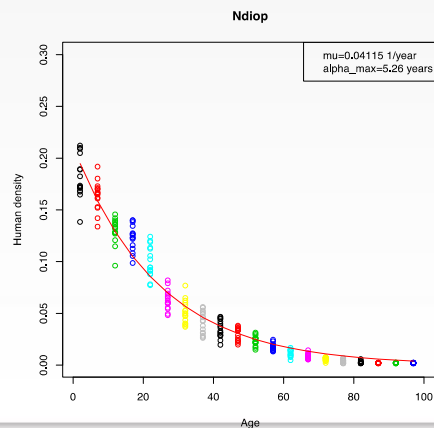


Natural mortality rate estimation



density of people ρ at a given age α

Fixed value for mortality as 0.03



Lose of immunity

$$\mu_{S2S1} = \frac{\mu_{S1E}}{e^{\mu_{S1E}t_{S2S1}} - 1}$$

$$\mu_{I2S2} = \frac{\mu_{S1E}}{e^{\mu_{S1E}t_{I2S2}} - 1}$$

Reinfection

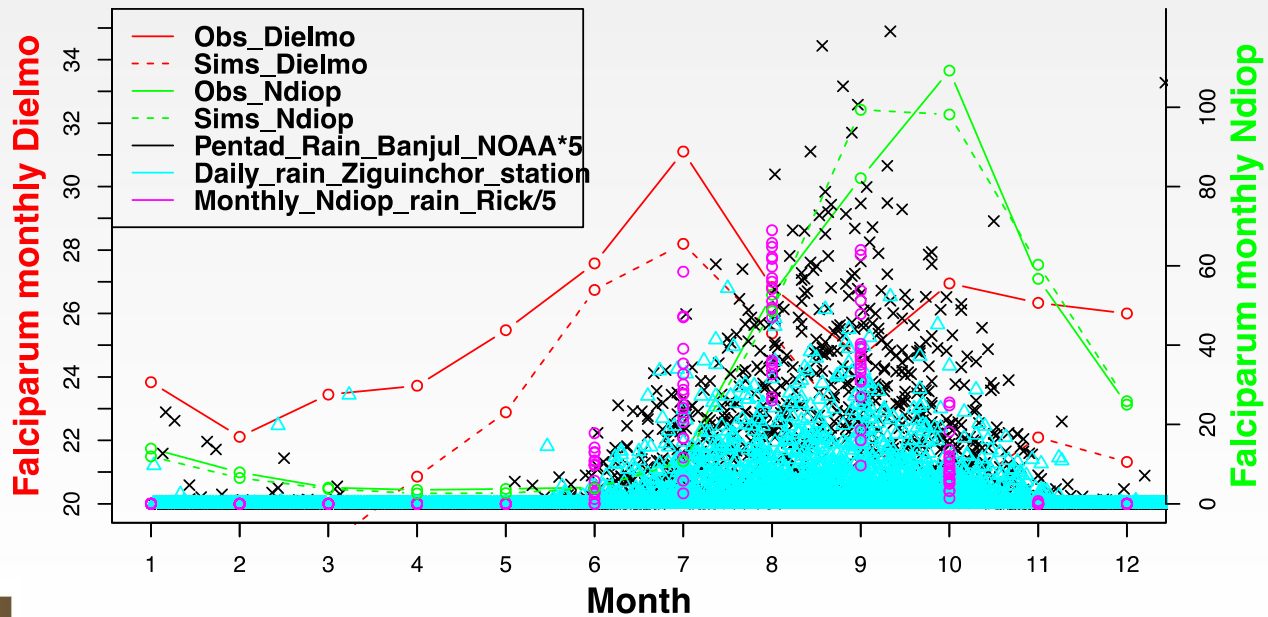
$$\mu_{I2I1} = si_1 \mu_{S1E}$$

$$\mu_{S2I1} = si_2 \mu_{S1E}$$

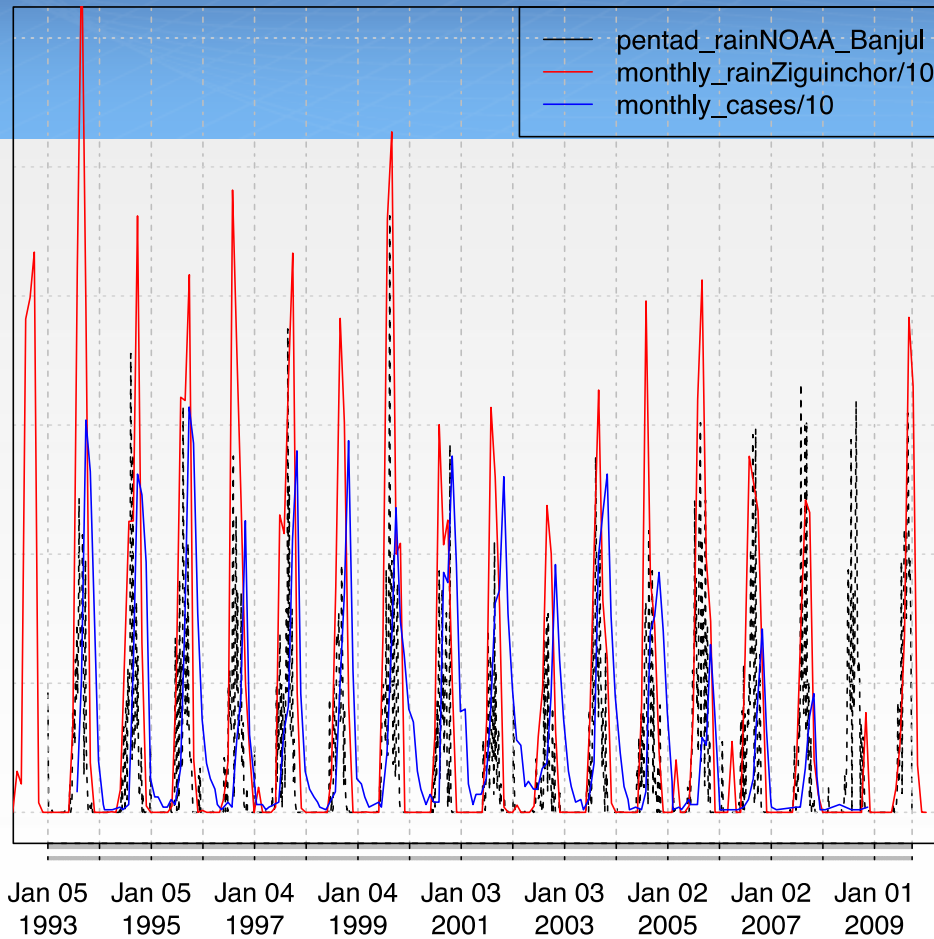
Superinfection

$$\mu_{S2I2} = si_3 \mu_{S1E}$$

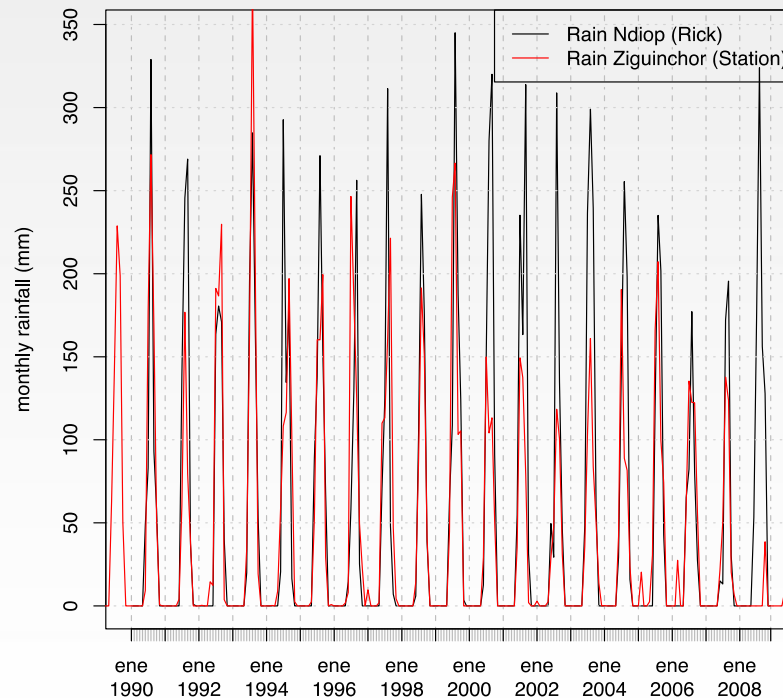
Relationship between cases and rainfall



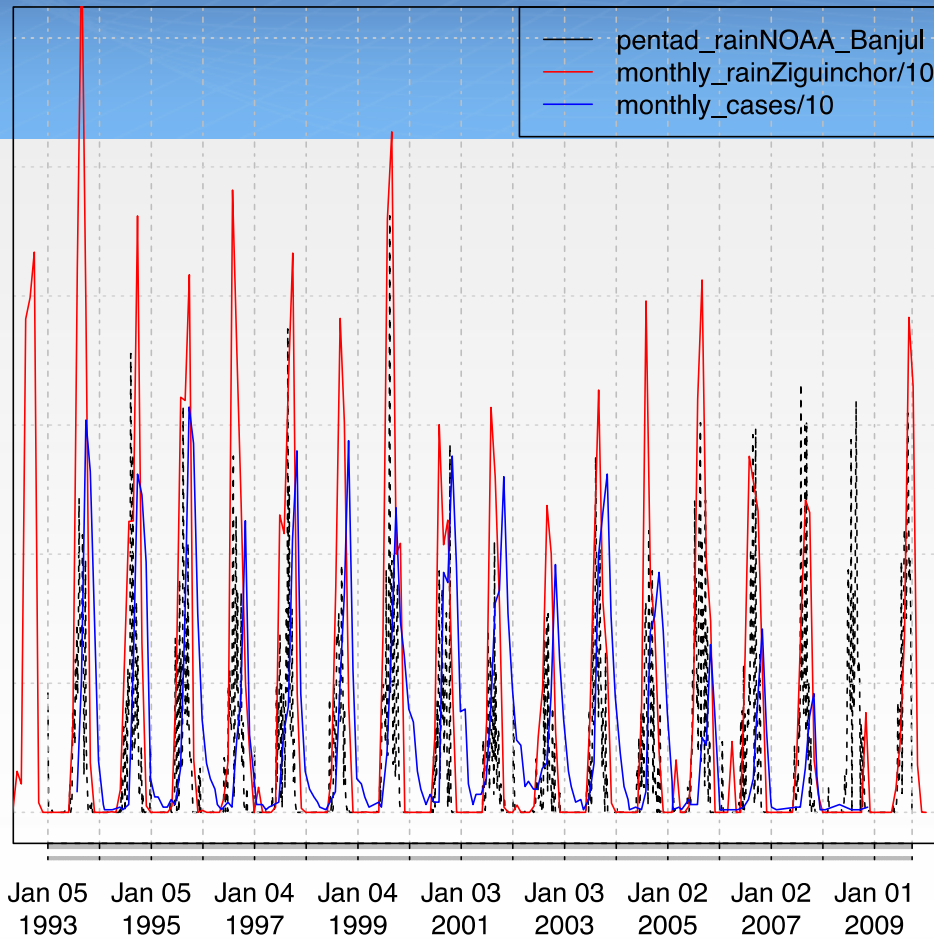
Cases vs rainfall



Discrepancies among rainfall products



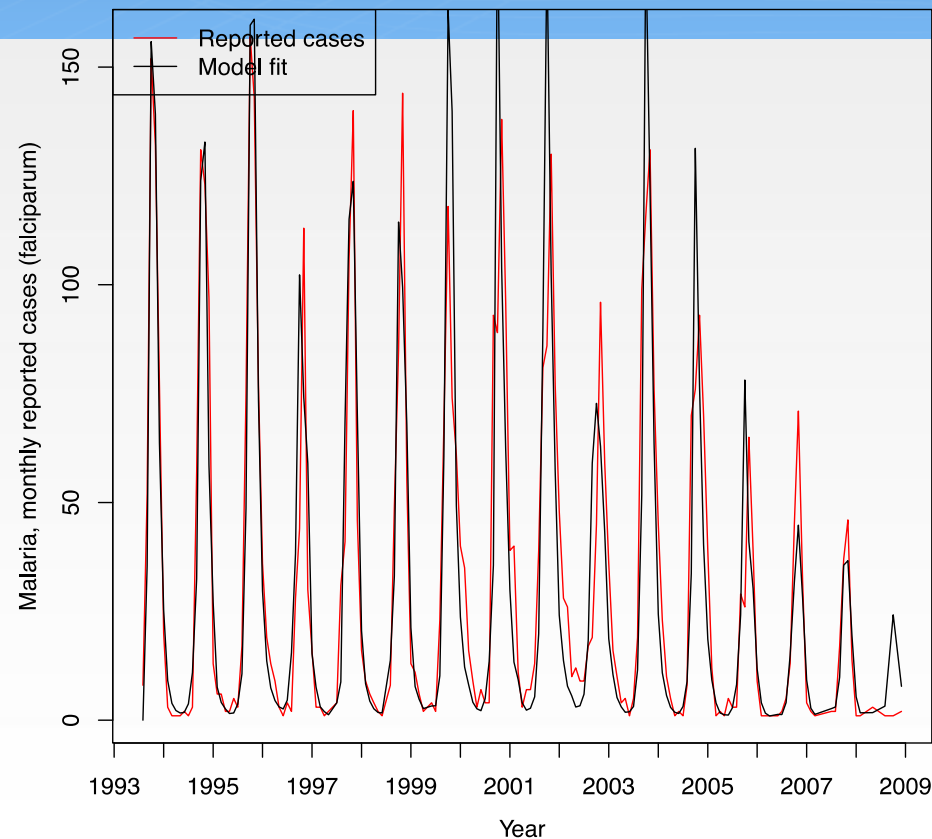
Cases vs rainfall



Preliminary fittings of SDE using MIF

(Including Population change, rainfall and drug treatment)

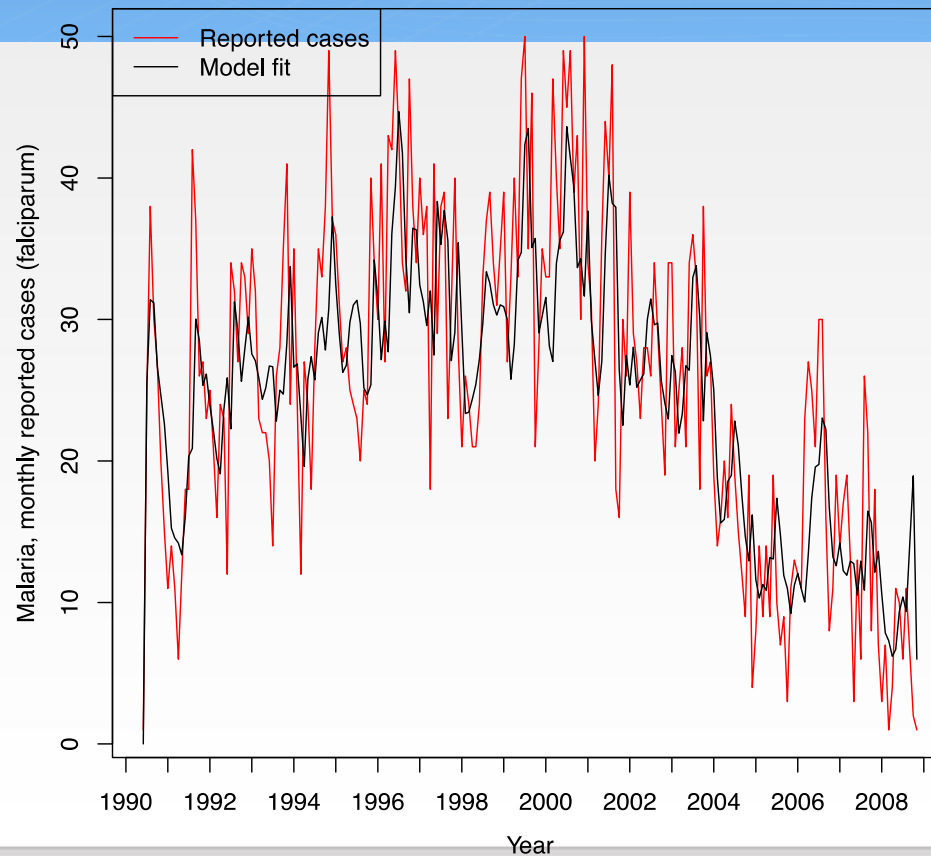
Ndiop



Preliminary fittings of SDE using MIF

(Including Population change, rainfall and drug treatment)

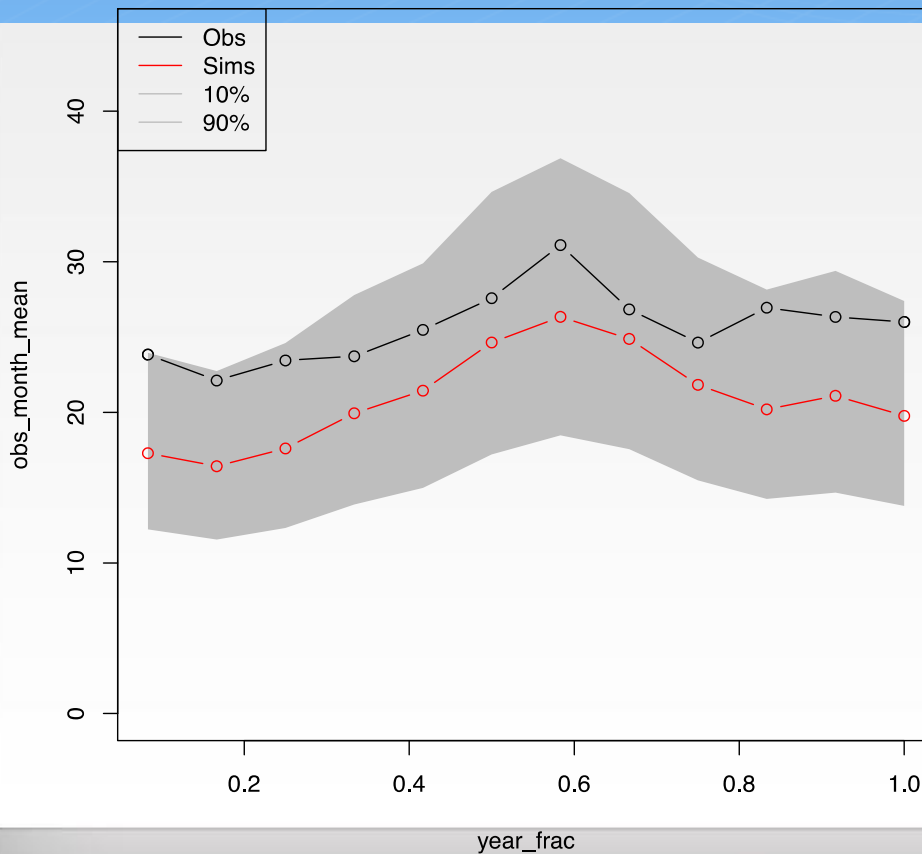
Ndiop



Preliminary fittings of SDE using MIF

(Including Population change, rainfall and drug treatment)

Dielmo



Parameters estimated

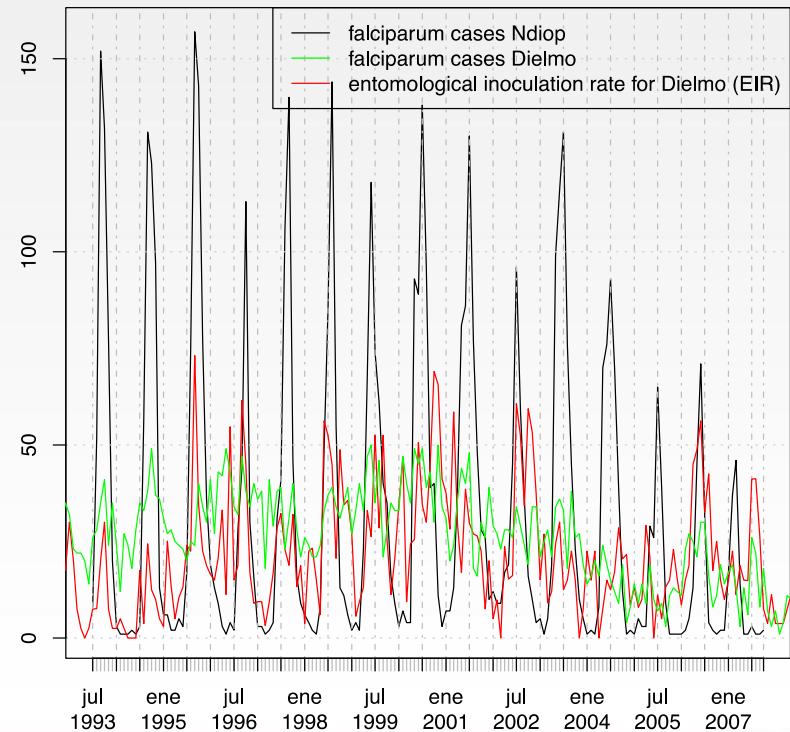
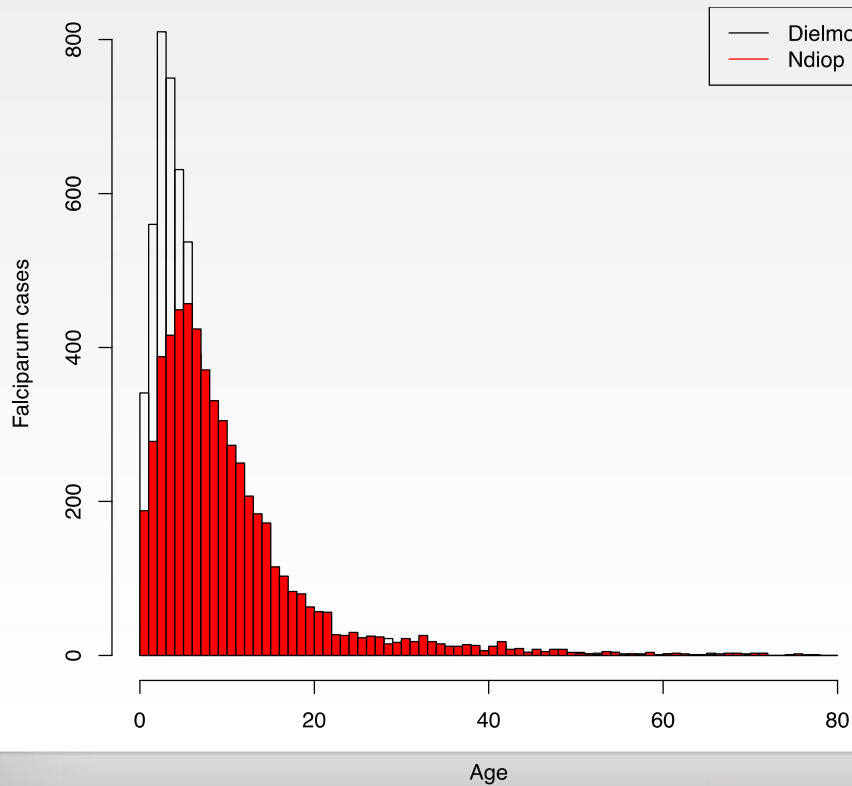
symbol	description	unit	estimated? (y/n)
μ_{XY}	per-capita rate of transition from compartment X to Y ; $X, Y \in \{S1, E, I1, I2, S2\}$	yr^{-1}	y
β_i	i th spline coefficient	-	y
$\bar{\beta}$	dimensionality constant	yr	n
τ	mean development delay for mosquitoes	yr	n
σ	standard deviation of the process noise	$\text{yr}^{1/2}$	y
ρ	reporting fraction of people in the transition from E to I	-	y
Δ	time step for stochastic Euler integration	day	n
$1/\delta$	average human life expectancy	yr	n
σ_{obs}	standard deviation of the observation noise	-	y
X_0	initial fraction of people in compartment X ; $X \in \{S1, E, I1, I2, S2\}$	-	y
q_f	infectivity of asymptomatic people	-	y
s_f	infectivity of subpatent infected people	-	y
Φ	probability of becoming a symptomatic case	-	y
t_s	fraction of successful treatments	-	y
si_1	fraction of force of infection for superinfection (from I_2 to I_1)	-	y
si_2	fraction of force of infection for superinfection (from S_2 to I_1)	-	y
si_3	fraction of force of infection for superinfection (from S_2 to I_2)	-	y

Table 1: List of symbols for the malaria model. Fixed parameters are $\bar{\beta} = 1\text{yr}$, $n_\lambda = 2$, $\Delta = 1$ day, $1/\delta = 33$ yr and $ft = 1$.

Next steps: To include in the model

(Demography, age-incidence, EIR, more environment)

Age_vs_cases



Next steps: To improve integration of extrinsic drivers and test the interplay with intrinsic factors

(New predictors? Where to integrate them? Are they given their actual weight?)

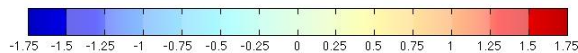
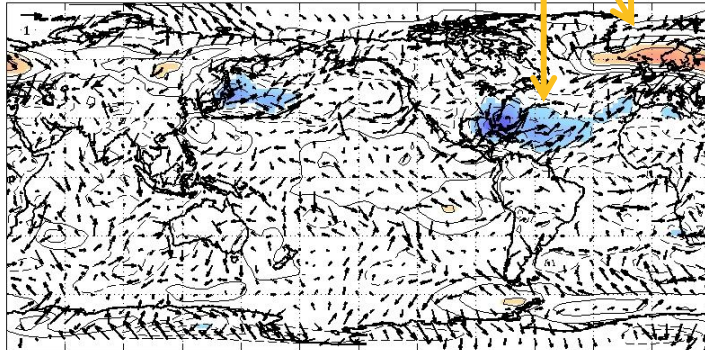
9 months before

New indices

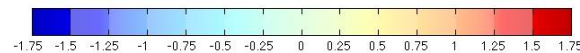
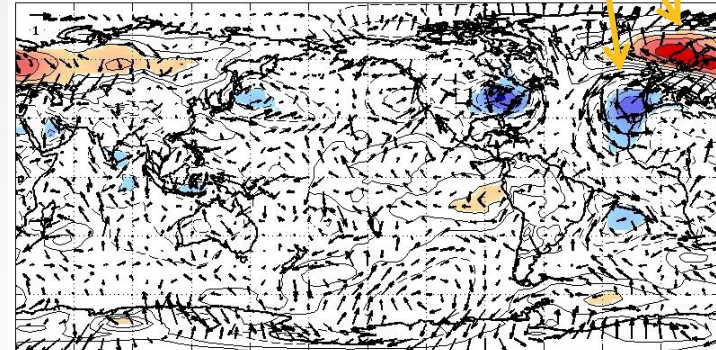
4 months before

Adding skill

Average SLP Lag = -9



Average SLP Lag = -4



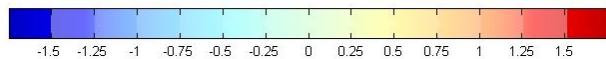
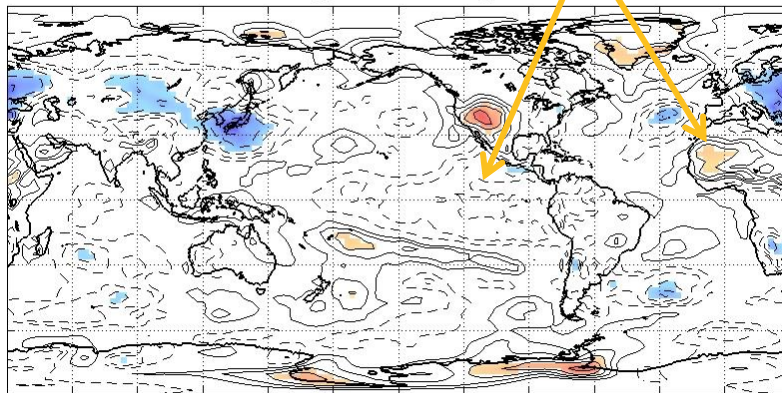
Next steps: To improve integration of extrinsic drivers and test the interplay with intrinsic factors

(New predictors? Where to integrate them? Are they given their actual weight?)

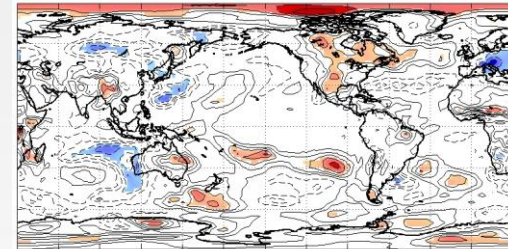
Average composite 5 months before

Predictors?

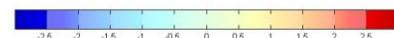
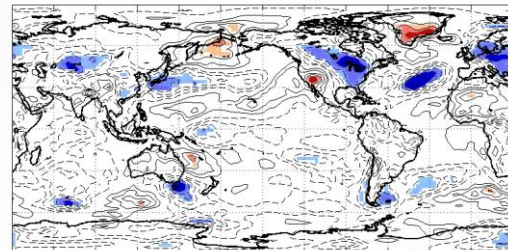
Average T2M Lag = -5



Peak #1 T2M Lag = -5



Peak #2 T2M Lag = -5



Nonlinearity

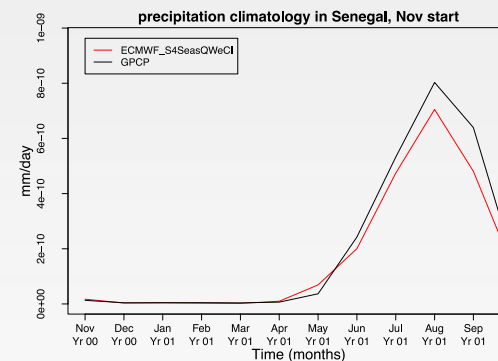
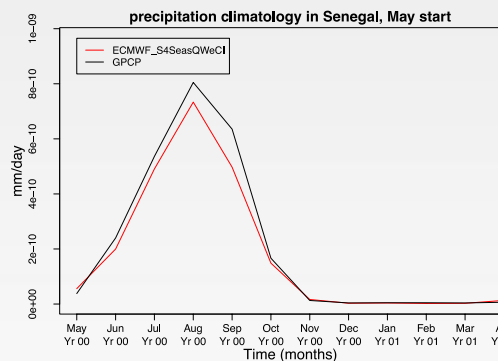
but..

Incorporating climate predictions (ECMWF System4, GPCP 2.5°, GHCN 0.5°, 1981-2010)

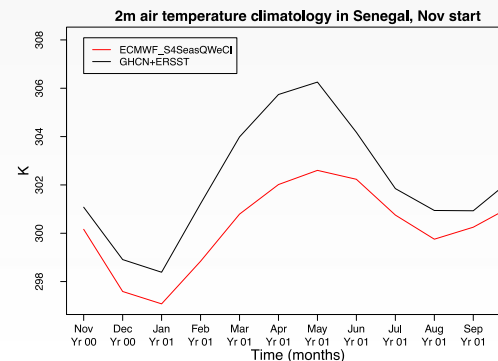
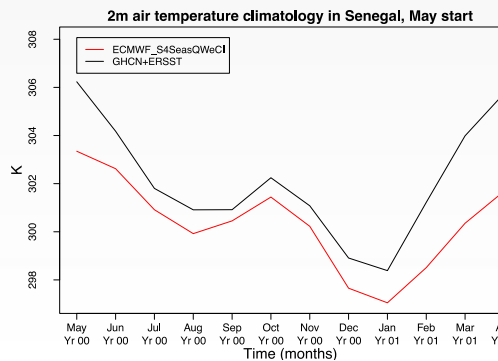
MAY

NOVEMBER

PRECIP



T2m

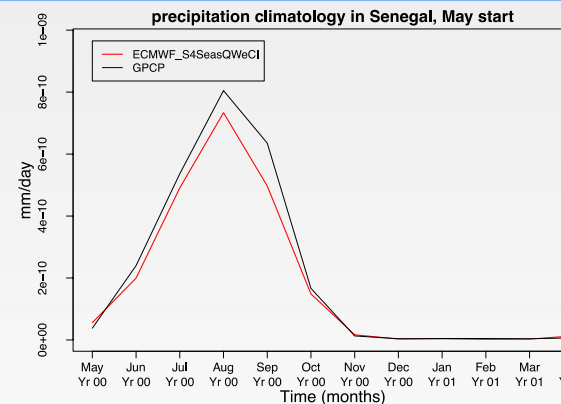
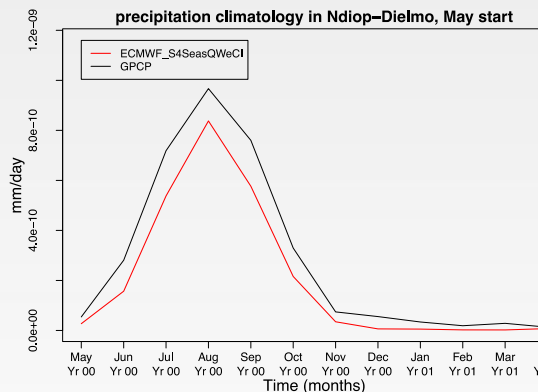


Incorporating climate predictions (ECMWF System4, GPCP 2.5°, GHCN 0.5°, 1981-2010)

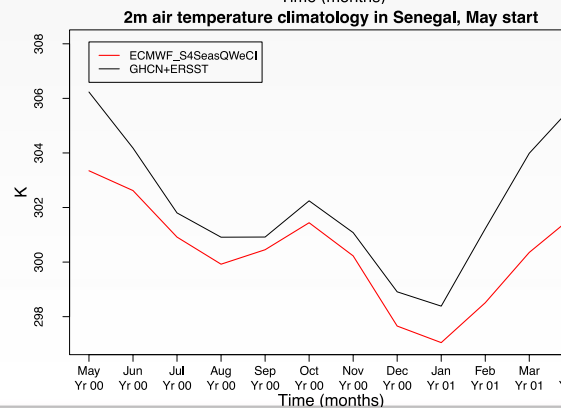
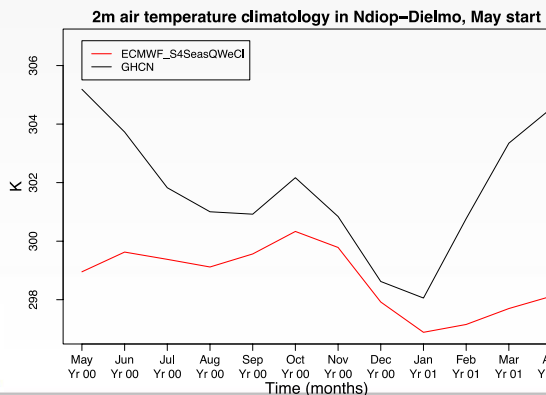
local

Senegal

PRECIP



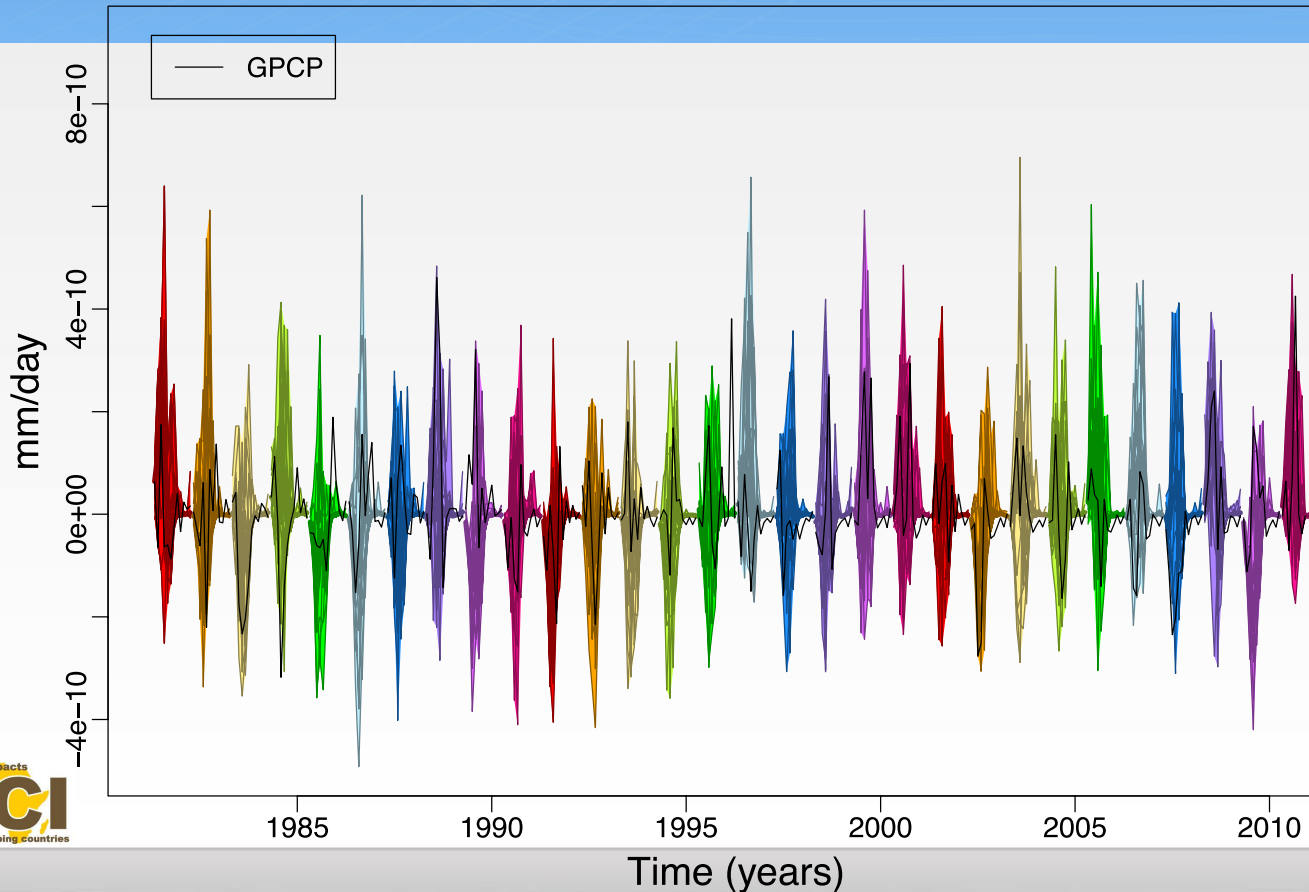
T2m



Incorporating climate predictions

(ECMWF System4, GPCP 2.5°, GHCN 0.5°, 1981-2010)

precipitation anomalies in Ndiop-Dielmo, May start



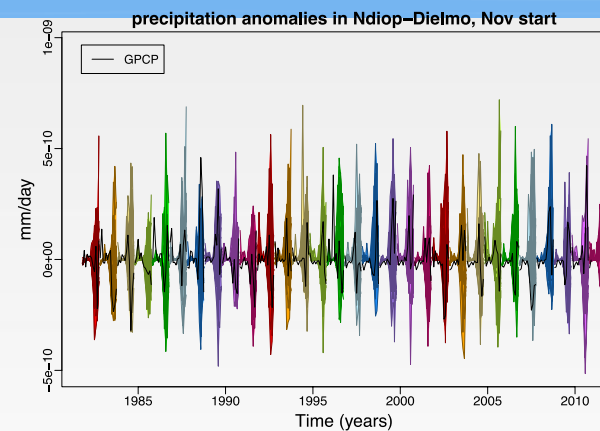
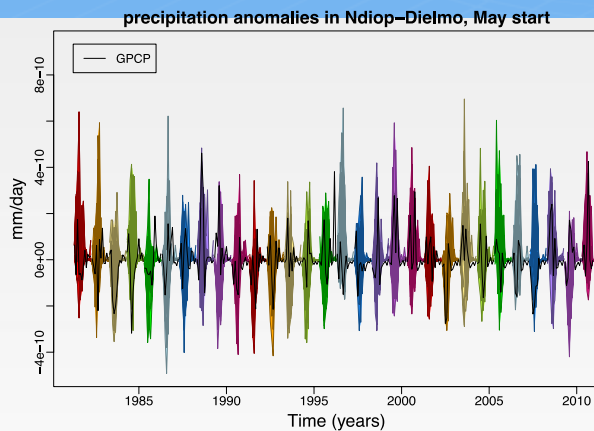
Incorporating climate predictions

NDIOP/DIELMO (*ECMWF System4, GPCP 2.5°, GHCN 0.5°, 1981-2010*)

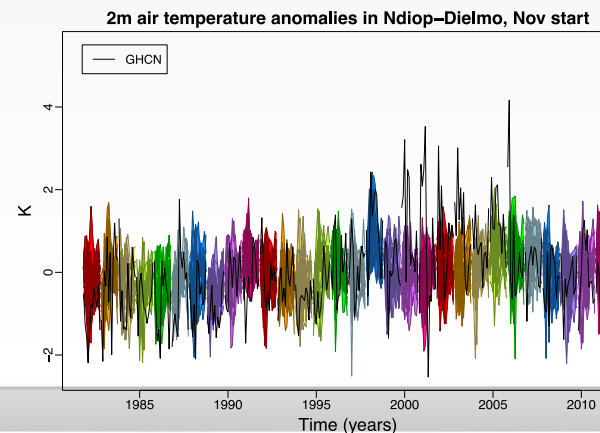
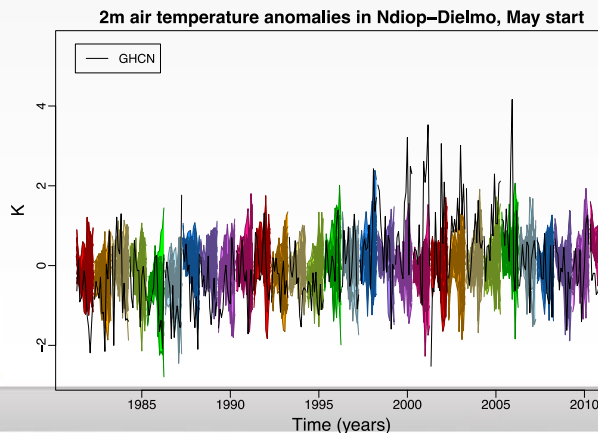
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PRECIP



T2m





Generalitat de Catalunya
Departament de Territori
i Sostenibilitat



Generalitat de Catalunya
Departament d'Economia
i Coneixement



Thank you!
Gràcies!
Asante Sana!

